

$\frac{\text{Problems} - 08/14/2025}{\text{The solutions to the problems below}}$ will be published on Monday $\frac{08/18/2025}{\text{2025}}$

Problem 1. Let the quadrilateral ABDC be inscribed in a circle, and let X be the intersection point of its diagonals. Prove that

$$AB \cdot AC < AX \cdot (BC + AD).$$

Problem 2. An infinite sequence a_1, a_2, \ldots of positive integers will be called *bulldozer* if it satisfies the condition

$$a_i \mid a_j \iff j \mid i$$

for every pair of positive integers (i, j). Determine whether a bulldozer sequence exists.

Good Luck!

We encourage you to submit your solutions via the website: https://mathlovers.eu/submit-solution/!